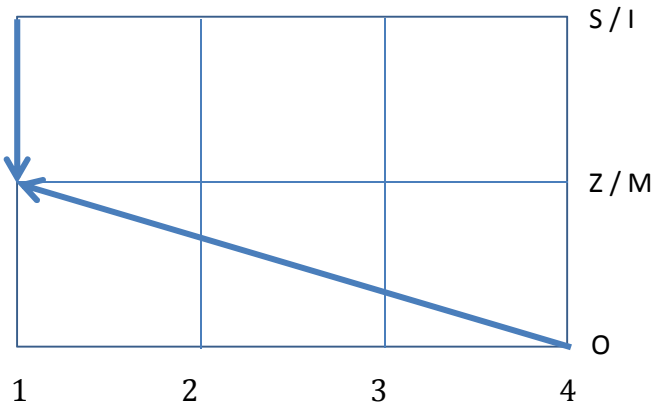
Prof. Dr. Alfred Toth

Subjekt-Objekt-Permutationsgruppen und semiosische Übergänge

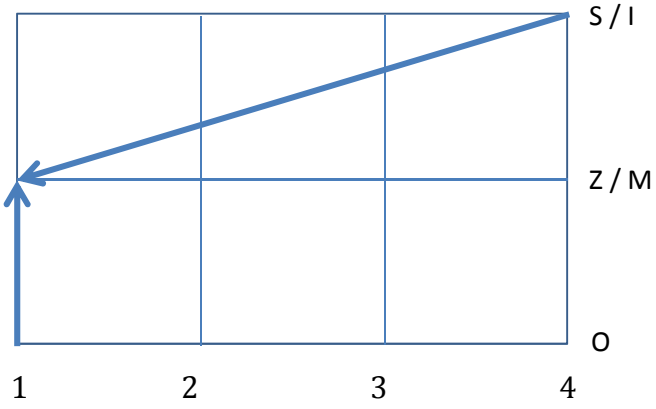
1. Der vorliegende Beitrag untersucht im Anschluß an Toth (2013) die den durch Subjekt-Objekt-Permutationen paarweise erzeugten Gruppen semiotischer Repräsentationsklassen korrespondierenden semiosischen Übergänge der durch die Repräsentationsklassen erzeugten Realitätsthematiken (sowie der ihnen dualen Zeichenklassen).

2.1. S/O-Permutationsgruppe 1

2.1.1. Rpw(Z^1, O^4, S^1) = (1, 4, 1)



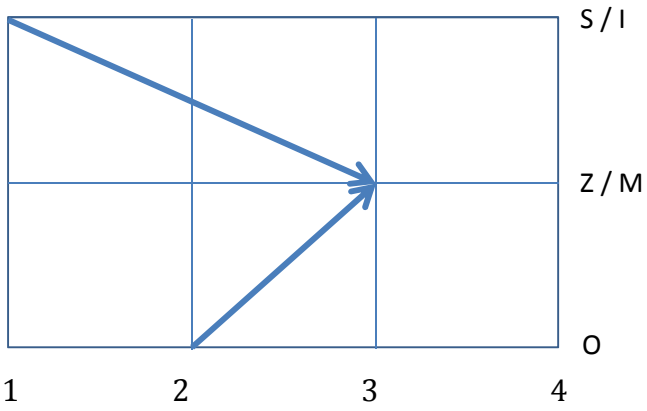
2.1.2. Rpw(Z^1, O^1, S^4) = (1, 1, 4)



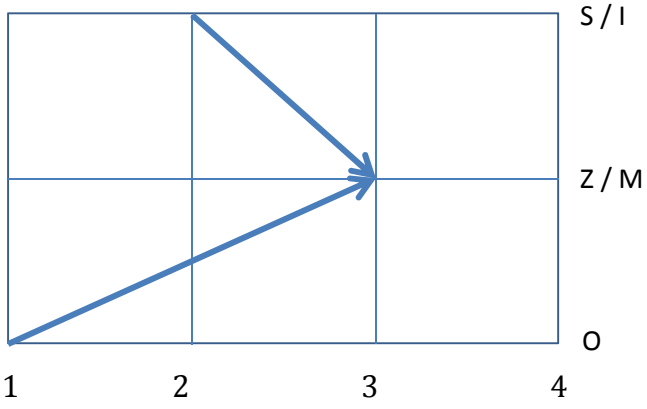
RTh(3.2, 2.2, 1.2) → RTh(3.3, 2.3, 1.3).

2.2. S/O-Permutationsgruppe 2a

2.2.1. Rpw(Z^3, O^2, S^1) = (3, 2, 1)



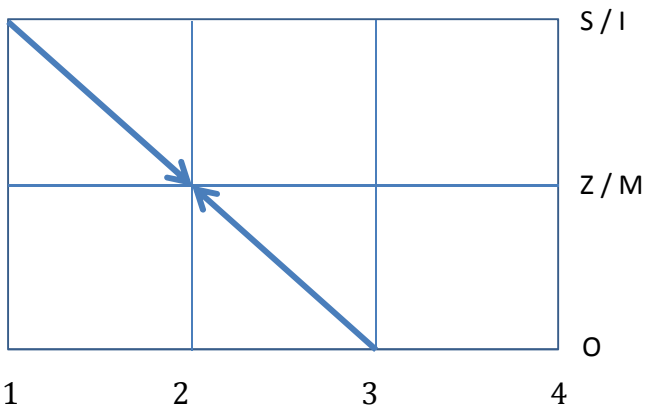
2.2.2. Rpw(Z^3, O^1, S^2) = (3, 1, 2)



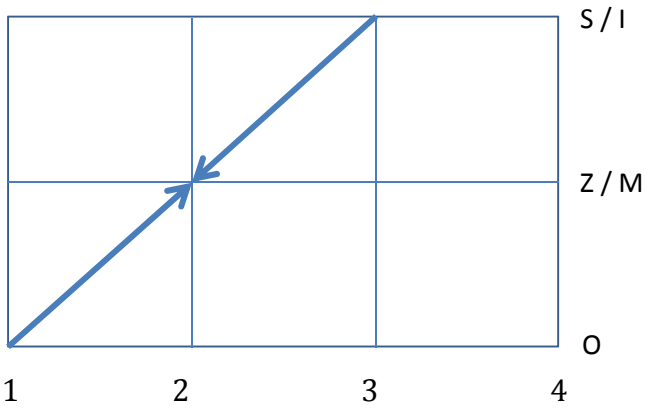
RTh(3.1, 2.1, 1.2) → RTh(3.1, 2.1, 1.3).

2.3. S/O-Permutationsgruppe 2b

2.3.1. Rpw(Z^2, O^3, S^1) = (2, 3, 1)



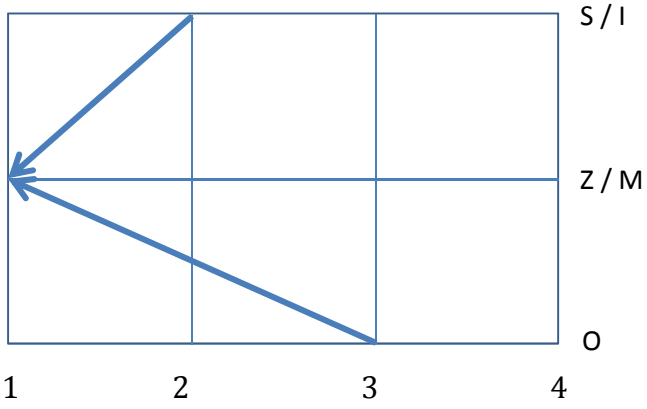
2.3.2. Rpw(Z^2, O^1, S^3) = (2, 1, 3)



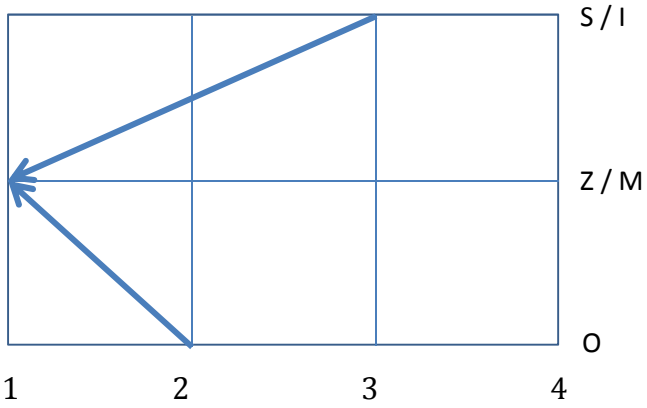
RTh(3.1, 2.2, 1.2) → RTh(3.1, 2.3, 1.3).

2.4. S/O-Permutationsgruppe 2c

2.4.1. Rpw(Z^1, O^3, S^2) = (1, 3, 2)



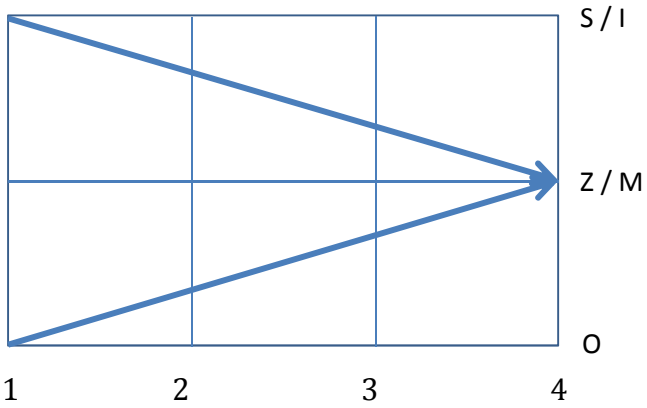
2.4.2. Rpw(Z^1, O^2, S^3) = (1, 2, 3)



RTh(3.2, 2.2, 1.3) → RTh((3.2, 2.3, 1.3).

2.5. Partiell homöostatische S/O-Permutationsgruppe

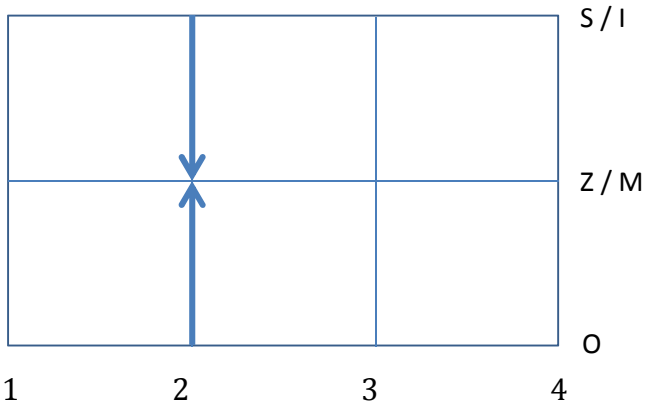
$Rpw(Z^4, O^1, S^1) = (4, 1, 1)$



RTh(3.1, 2.1, 1.1) → RTh(3.1, 2.1, 1.1) (Selbstabbildung.)

2.6. Total homöostatische S/O-Permutationsgruppe

$Rpw(Z^2, O^2, S^2) = (2, 2, 2)$



RTh(3.1, 2.2, 1.3) → RTh(3.1, 2.2, 1.3) (Selbstabbildung.)

Literatur

Toth, Alfred, Subjekt-Objekt-Permutationstypen. In: Electronic Journal for Mathematical Semiotics, 2013

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